

Learning as Interpretation: Human vs Statistical Learning

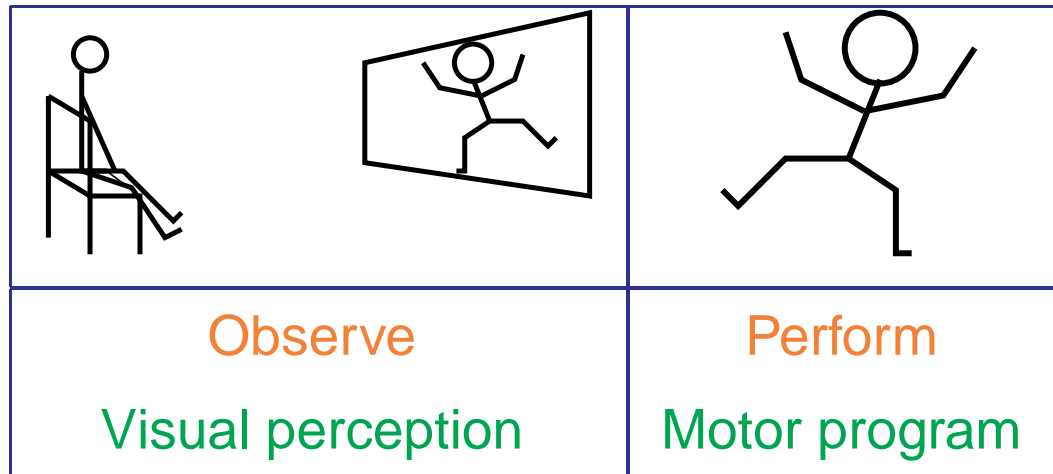
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Human vs Statistical Learning

UK EPSRC Priority 2016-2021 - Human-like Computing

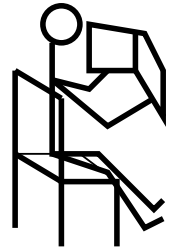
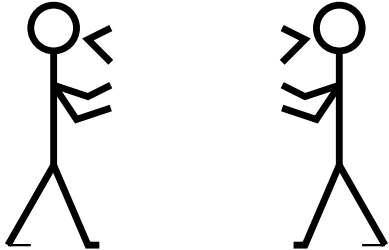
Characteristic	Human	Statistical
Examples per concept	Few (≈ 1) [Tenenbaum, 2011]	Many ($\geq 10K$)
Concepts	Many ($\geq 10K$) [Brown et al, 2008]	Few (≈ 1)
Background knowledge	Large [Brown, 2000]	Small
Structure	Modular, re-useable [Omrod et al, 2004]	Monolithic

Example 1: Dance Routine



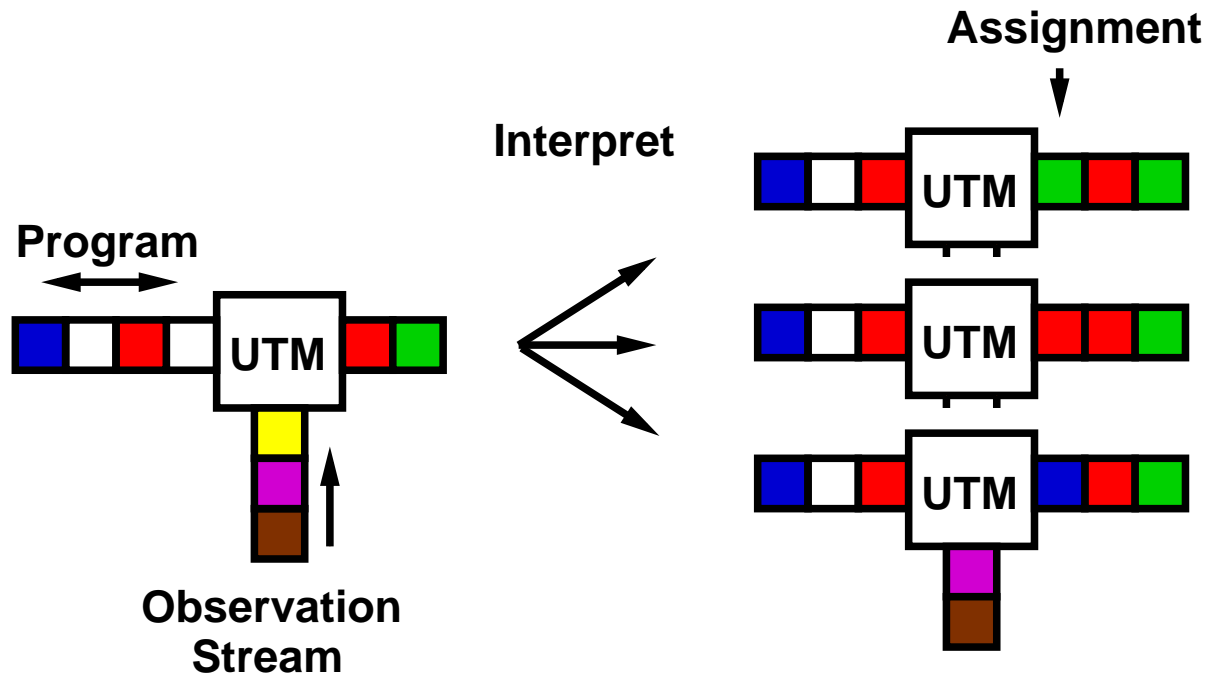
- A girl watches a dance routine on television.
- Afterwards she reproduces the routine.
- The new dance moves are incorporated into her repertoire.
- Subsequent improvisation allows re-use of parts of routines.

Example 2: Learning words in a language

	
Observe Reading	Perform Talking

- Average undergraduate knows 20K words.
- Learning rate = $\frac{20000}{20 \times 365} = 2.7$ new words per day since birth.
- Presentations new word before assimilation ≈ 1 [Zipf's Law].
- Word assimilation involves visual, auditory, sense and context recognition of associated concept.

Learning as Interpretation



Write-once, Non-deterministic **Universal Turing Machine**

Computation = Learning = Interpretation = Perception

Meta-Interpretive Learning [IJCAI 2013]

Prolog Meta-Interpreter implements Learning as Interpretation.

Input to Meta-Interpreter: 1) Observations, 2) Meta-Rules, 3) Background Knowledge assignments (substitutions).

Output from Meta-Interpreter: Hypothesised assignments.

Metagol supports Problem decomposition by Predicate Invention and Learning recursion [MLJ 2015], Single example multi-task learning [ECAI 2014], Program Induction with resource and time-complexity optimisation [IJCAI 2015].

Generalised Meta-Interpreter

prove([], *BK*, *BK*).

prove([*Atom*|*As*], *BK*, *BK_H*) : –

metarule(*Name*, *MetaSub*, (*Atom* :- *Body*), *Order*),
Order,

save_subst(*metasub*(*Name*, *MetaSub*), *BK*, *BK_C*),

prove(*Body*, *BK_C*, *BK_Cs*),

prove(*As*, *BK_Cs*, *BK_H*).

Metarules

Name	Meta-Rule	Order
Instance	$P(X, Y) \leftarrow$	<i>True</i>
Base	$P(x, y) \leftarrow Q(x, y)$	$P \succ Q$
Chain	$P(x, y) \leftarrow Q(x, z), R(z, y)$	$P \succ Q, P \succ R$
TailRec	$P(x, y) \leftarrow Q(x, z), P(z, y)$	$P \succ Q,$ $x \succ z \succ y$

Expressivity of H_2^2

Given an infinite signature H_2^2 has Universal Turing Machine expressivity [Tarnlund, 1977].

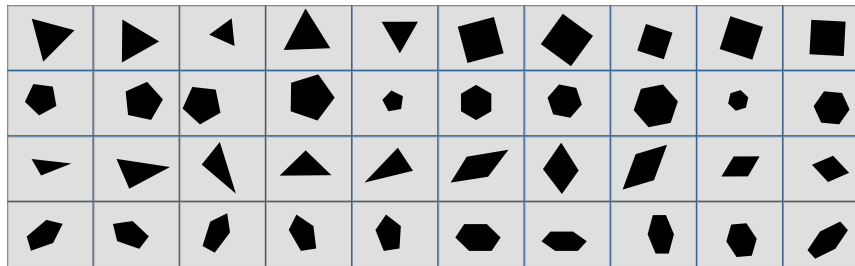
$\text{utm}(S,S)$	\leftarrow	$\text{halt}(S).$
$\text{utm}(S,T)$	\leftarrow	$\text{execute}(S,S1), \text{utm}(S1,T).$
$\text{execute}(S,T)$	\leftarrow	$\text{instruction}(S,F), F(S,T).$

Q: How can we limit H_2^2 to avoid the halting problem?

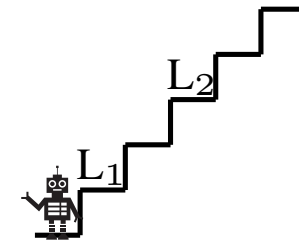
Experimental applications



Staircase



Regular Geometric



Delivery

Vision Staircase [ILP 2013], Geometric Shape Learner [ILP 2015].

Robotics Building stable walls [IJCAI 2013], Robot delivery and sorting [IJCAI 2013].

Language Formal grammars [MLJ 2014], String transformations [ECAI 2014], Learning semantics [ILP 2015].

What next for Meta-Interpretive Learning?

Problem decomposition How can problem decomposition be efficient?

Object invention How can learning populate world with new named objects? Object composition/decomposition?

Large-scale background knowledge How can learners scope relevance of background concepts?

Probabilistic reasoning How can probabilistic reasoning use single examples?

Bibliography

- A. Cropper, S.H. Muggleton. Learning efficient logical robot strategies involving composable objects. IJCAI 2015.
- W-Z Dai, S.H. Muggleton, Z-H Zhou. Logical vision: Meta-interpretive learning for simple geometrical concepts. ILP 2015.
- S.H. Muggleton, D. Lin, A. Tamaddoni-Nezhad. Meta-interpretive learning of higher-order dyadic datalog: Predicate invention revisited. Machine Learning, 2015.
- D. Lin, E. Dechter, K. Ellis, J.B. Tenenbaum, S.H. Muggleton. Bias reformulation for one-shot function induction. ECAI 2014.