



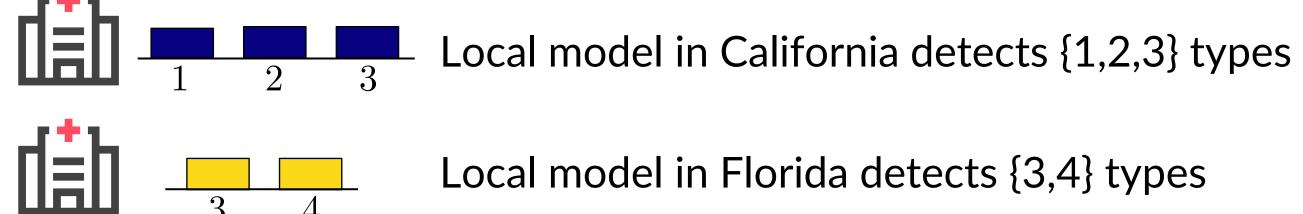
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## **Problem setting**

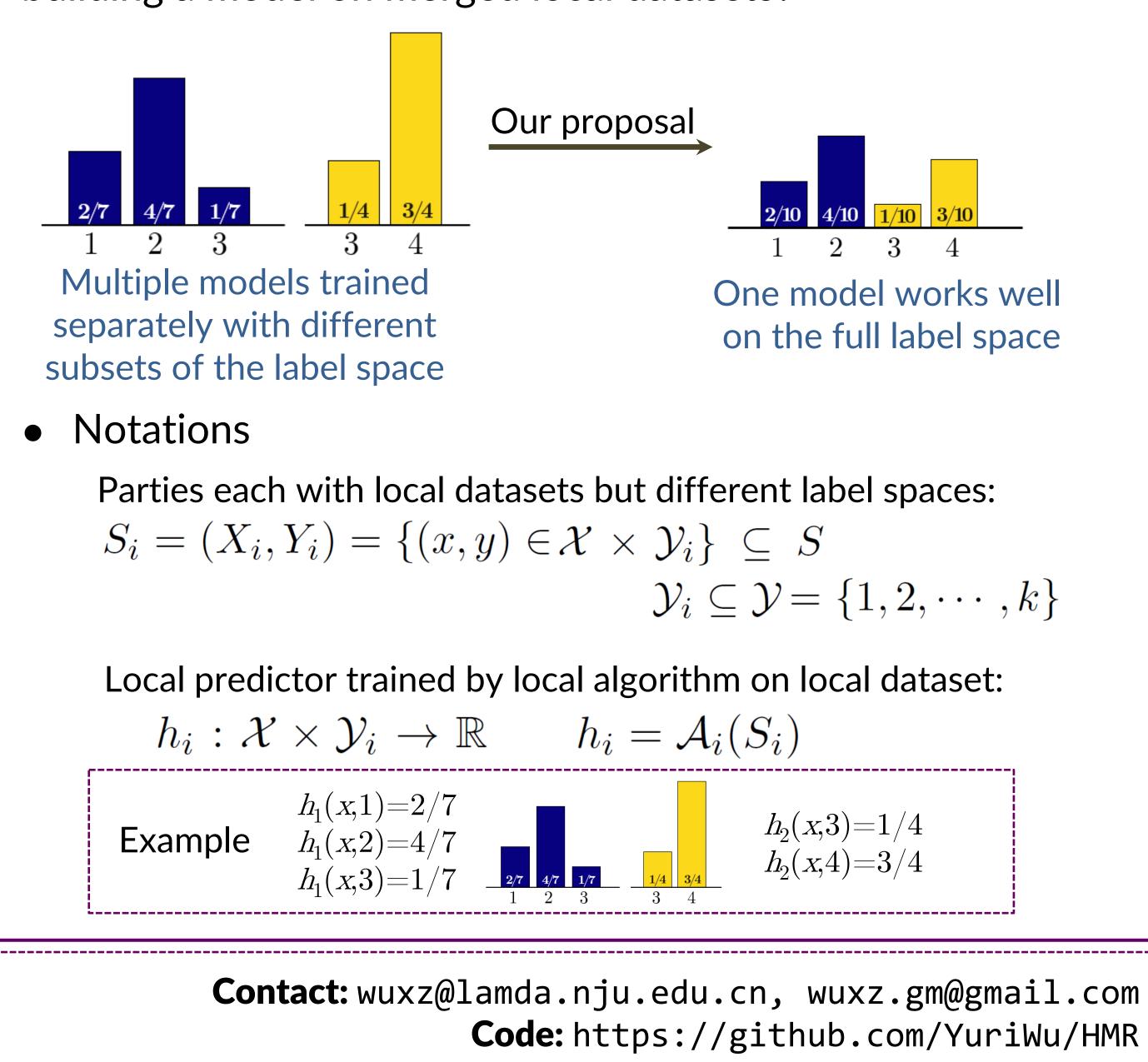
- Problem: Multiparty multiclass classification
- Example: Flu detection

Global problem: to detect all 4 flu types in the US

But, the types of flu diverse geographically, the distribution of patients records collected by a hospital in California is different from Florida. Good local models are built:



The patients' records are confidential. Can we smartly reuse the local models to learn the global problem, instead of building a model on merged local datasets?



# Heterogeneous Model Reuse via Optimizing Multiparty Multiclass Margin Xi-Zhu Wu<sup>1</sup>, Song Liu<sup>2 3</sup>, Zhi-Hua Zhou<sup>1</sup>

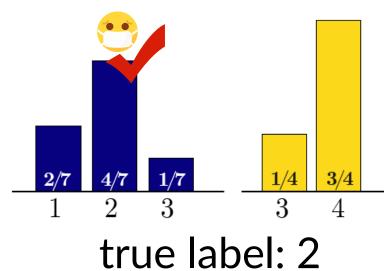
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#### Behavior of an ensemble of

• The intuitive ensemble of local models predictor: Given a set of multi-class  $h_n$ , the max-model predictor  $h_H$  is defined

 $h_H(x,y) = \max_{y \in \mathcal{Y}_i, h_i \in H} h_i(x)$ 

- However, max-model predictor may model is perfect (see Claim 1 in our statement).
- Intuition: another local model which is class may mislead the final prediction.



Max-model predicto

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# Contribution

Q: How to measure the global behavior of A: Multiparty multiclass margin. (MPMC-

Q: How to optimize the global behavior? A: The HMR method, which maximizes M

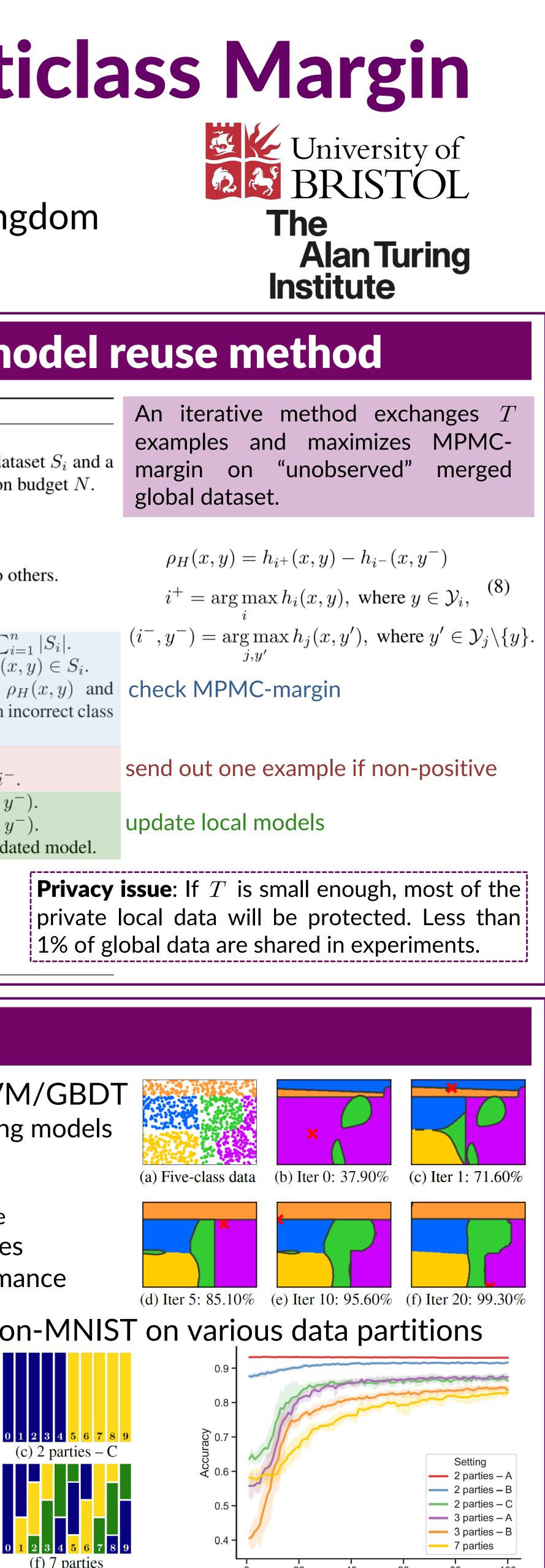
## MPMC-margin

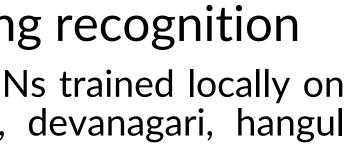
 The multiparty multiclass margin (N local predictors set  $H = \{h_1, \dots, h_n\}$  at is defined as:

 $\rho_H(x, y) = \max_i h_i(x, y) - \max_{j, y'} h_j(x, y')$ where  $y \in \mathcal{Y}_i, y' \in \mathcal{Y}_j \setminus \{y\}.$ 

 Non-positive MPMC-margin causes w want to maximize it.

flocal models	Heterogeneous m
Is is to use max-model predictors $H=\{h_1, \dots, m_n\}$ ined as:	Algorithm 1 HMR input: Parties $1, 2, \dots, n$ , each owns a local dat local model $h_i$ . Example communication
(x, y)	output: Calibrated local models $h_1, \dots, h_n$ . procedure:
fail even if each local r paper for the formal	1: Each party broadcasts its local model to c 2: Inner iteration counter $T = 0$ 3: while $T < N$ do 4: Sample a party <i>i</i> according to $ S_i  / \sum_i^r$ 5: Party <i>i</i> randomly selects an example ( <i>x</i> 6: Party <i>i</i> computes MPMC-margin $\rho$
tor	records the party $i^+$ , $i^-$ and maximum in $y^-$ as in (8). 7: <b>if</b> $\rho_H(x, y) \le 0$ <b>then</b> 8: Party <i>i</i> sends $(x, y, y^-)$ to $i^+$ and $i^-$ 9: Party $i^+$ calibrates $h_{i^+}$ with $(x, y, y)$ 10: Party $i^-$ calibrates $h_{i^-}$ with $(x, y, y)$ 11: Party $i^+$ and $i^-$ broadcast their updates
$\xrightarrow{2/7} \frac{4/7}{1} \xrightarrow{1/4} \frac{3/4}{4}$ The second reducted label: 4	12: <b>if</b> $i^+ \neq i$ or $i^- \neq i$ <b>then</b> 13: $T = T + 1$ . 14: <b>end if</b> 15: <b>end if</b> 16: <b>end while</b>
	Experiments
of multiple models? -margin) /IPMC-margin. y modifying local models, vithout merging local datasets.	<ul> <li>Toy example on LR/SVN</li> <li>Heterogeneous learning</li> <li>LR: green, yellow</li> <li>SVM: green, magenta</li> <li>GBDT: magenta, orange</li> <li>Exchanged 20 examples</li> <li>Nearly perfect perform</li> </ul>
-margin) /PMC-margin.	<ul> <li>Heterogeneous learning</li> <li>LR: green, yellow</li> <li>SVM: green, magenta</li> <li>GBDT: magenta, orange</li> <li>Exchanged 20 examples</li> </ul>





bal accuracy of 420k examples

WGPO2mKVXJ