

# Lecture 14: Data Mining V In Computer Vision Systems

[http://cs.nju.edu.cn/yuy/course\\_dm13ms.ashx](http://cs.nju.edu.cn/yuy/course_dm13ms.ashx)



# Face detection



find faces in a given photo



sliding window



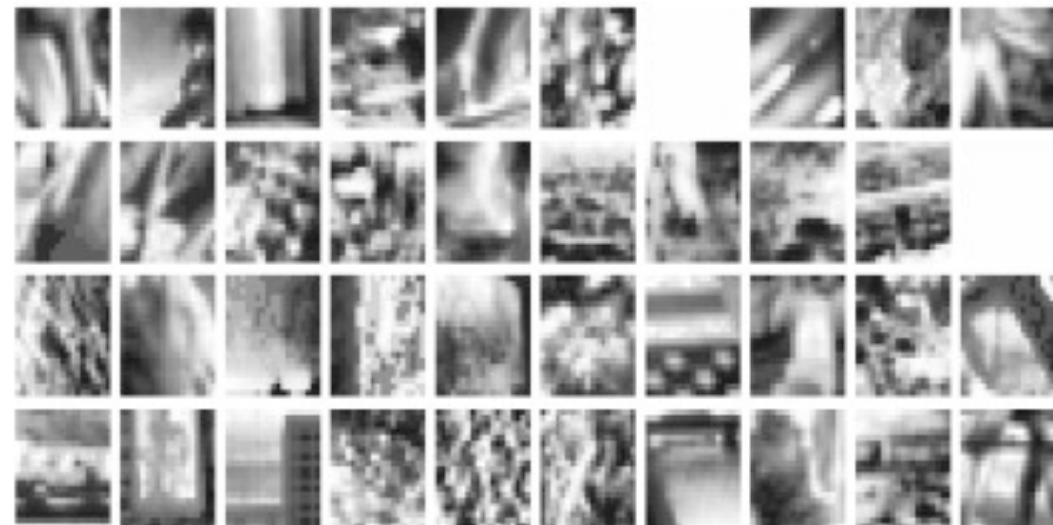
# What is a face?



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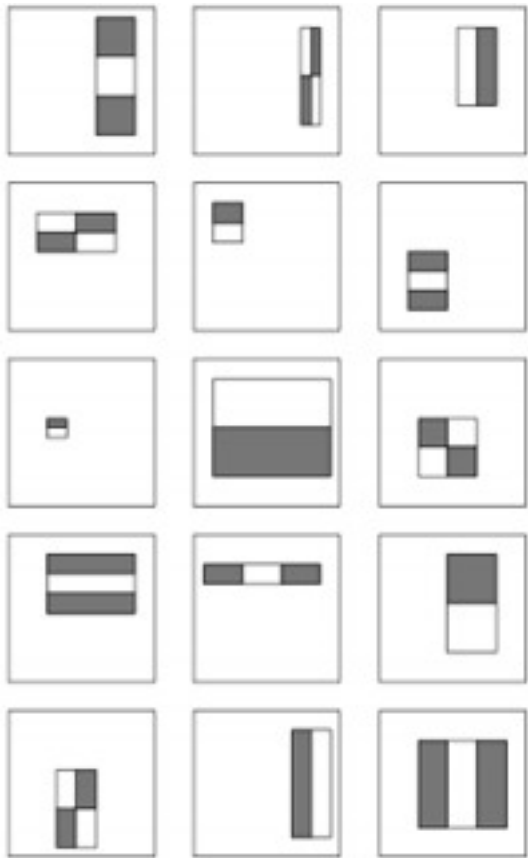


similar to positive face  
rather than negative face



# Viola&Jones face features [IJCV'01]

features: simple templates



for each sliding window apply templates to calculate features



conceptually forms a vector:

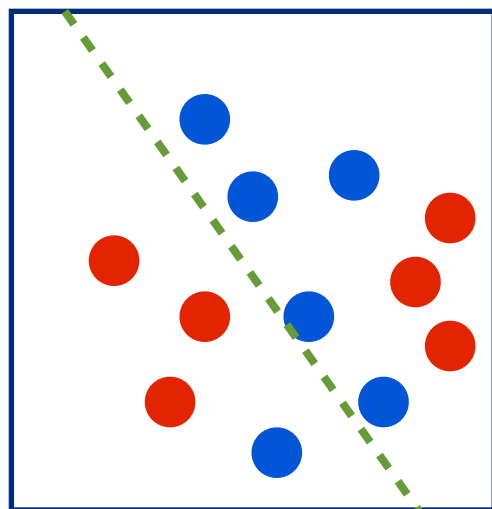
(200, 50, 90, ... ..)



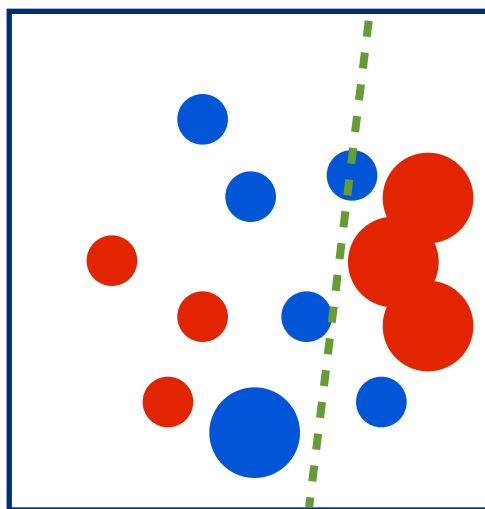
# AdaBoost



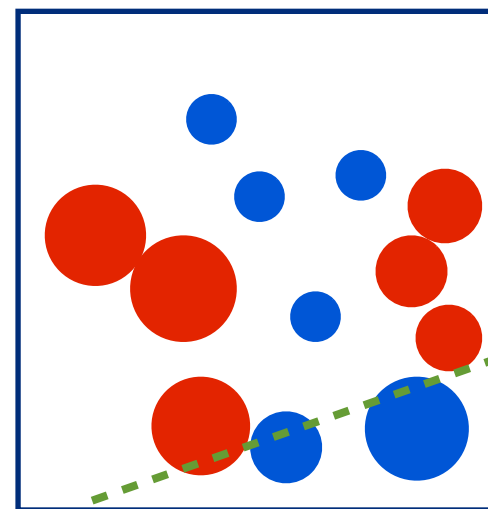
classifier 1



classifier 2



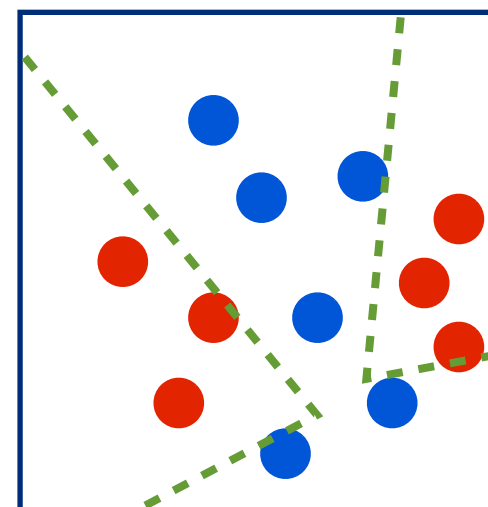
classifier 3



In V&J's system, each classifier is one feature

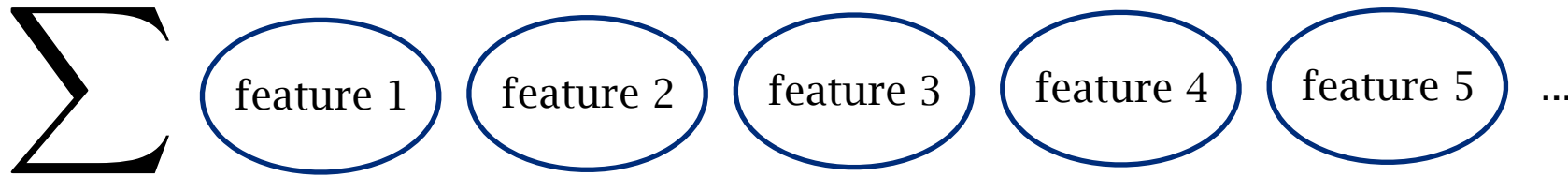
AdaBoost selects a small subset of features

final classifier

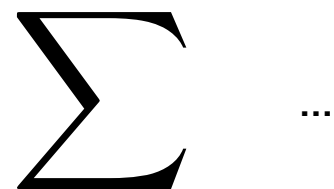
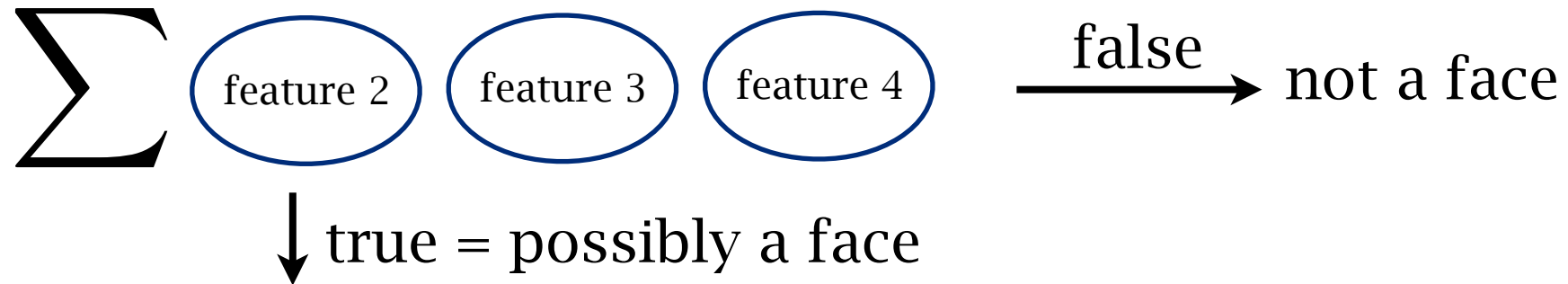
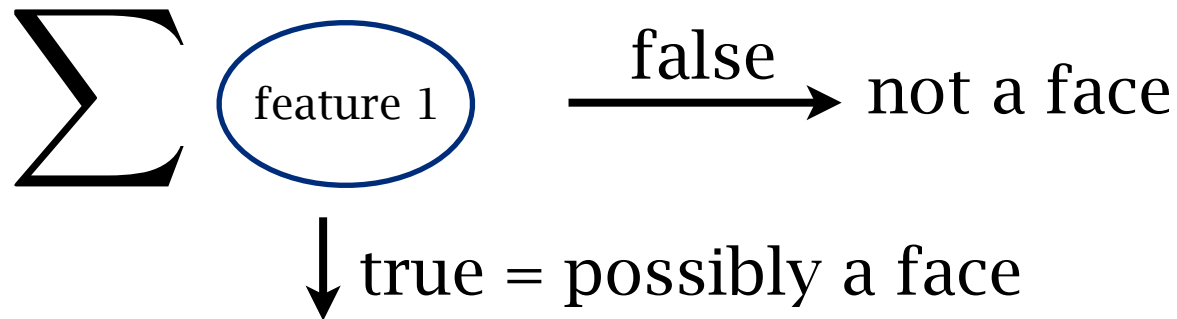




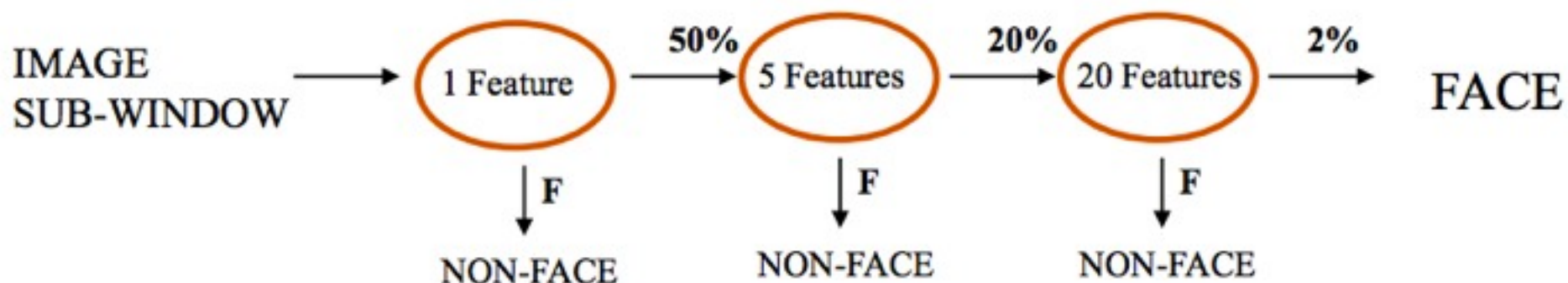
# Viola&Jones face features [IJCV'01]



face area is small



# Viola&Jones face features [IJCV'01]



“15 times faster” than a state-of-the-art while keeping the accuracy”

# The data-driven approaches

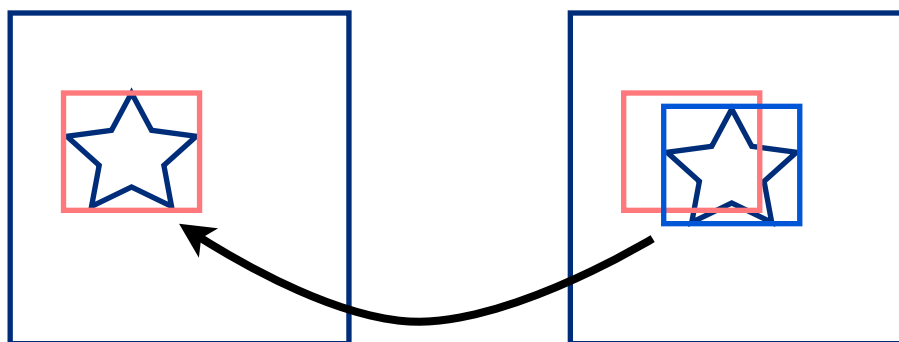


Viola&Jonse's work does not only result an efficient face detector, but also activate the data-driven approaches in CV.

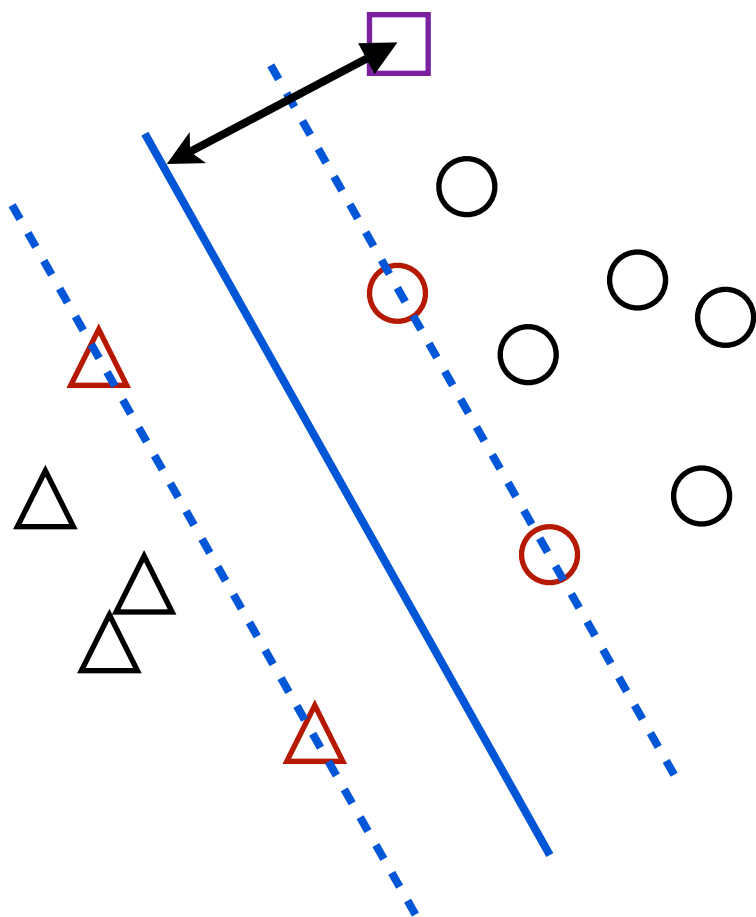
# Object tracking



calculation of similarity?



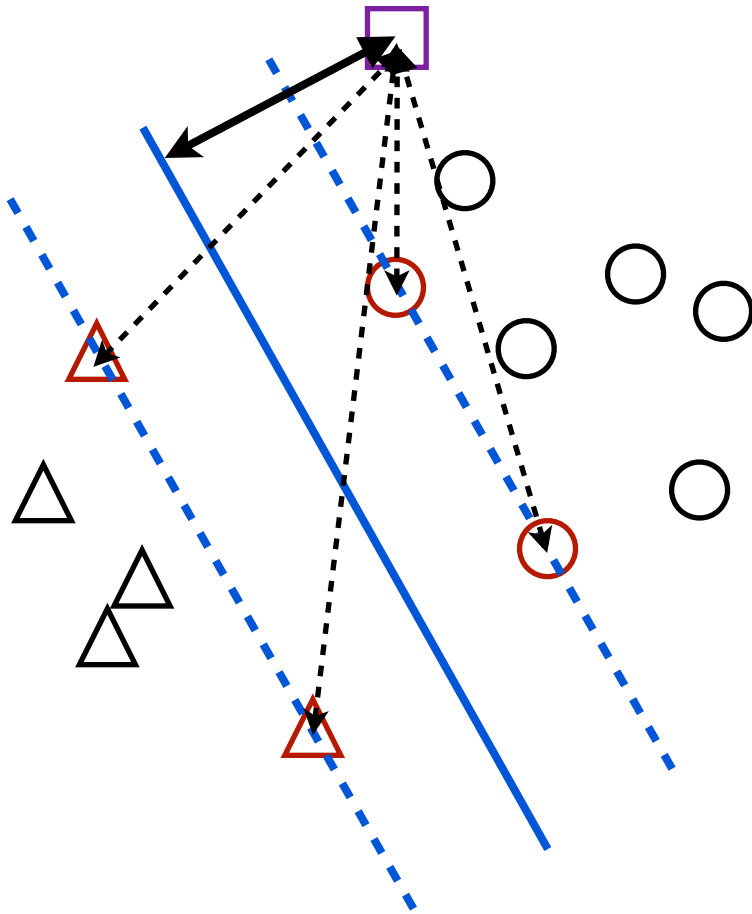
# Support vector tracking



the optimal function is  
in the form of

$$f^*(\cdot) = \sum_i \alpha_i K(\mathbf{x}_i, \cdot)$$

# Support vector tracking

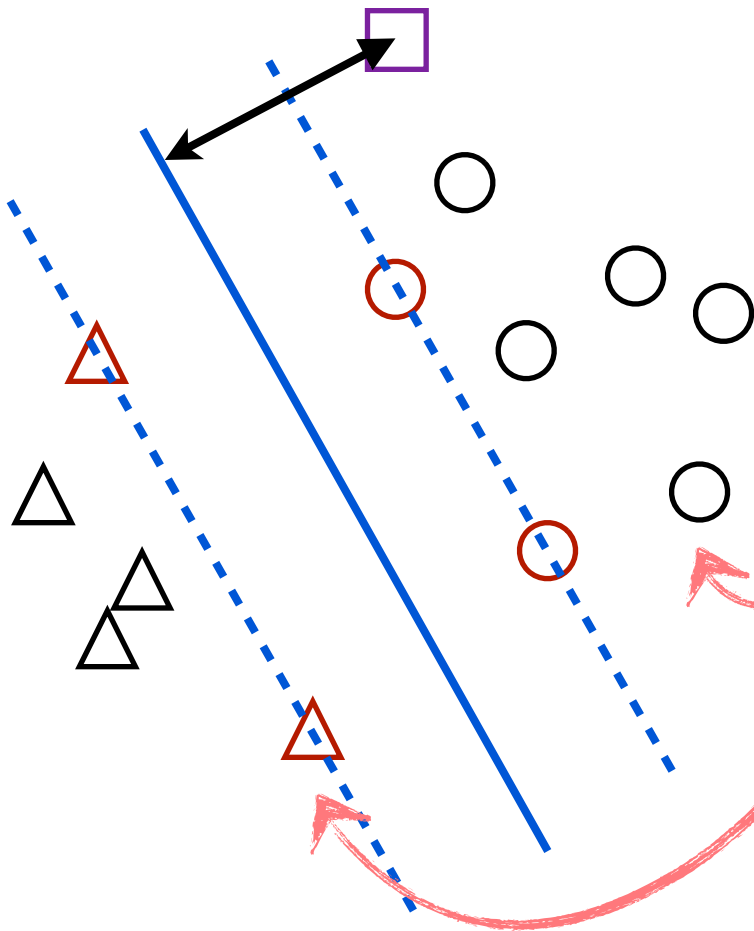
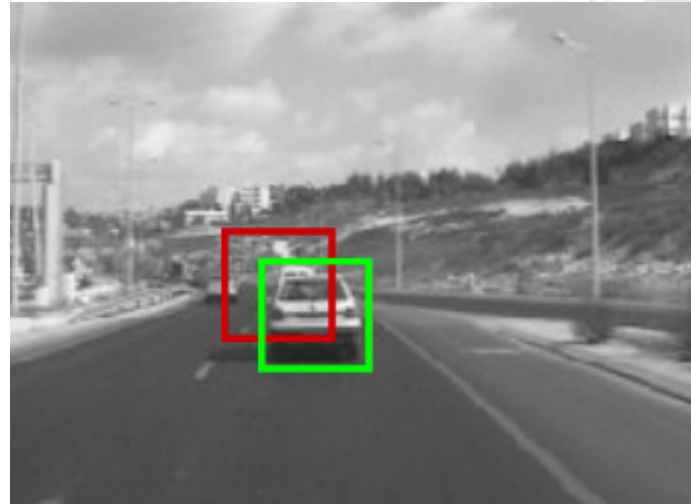


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$$f^*(\cdot) = \sum_i \alpha_i K(\mathbf{x}_i, \cdot)$$

support vectors

# Support vector tracking



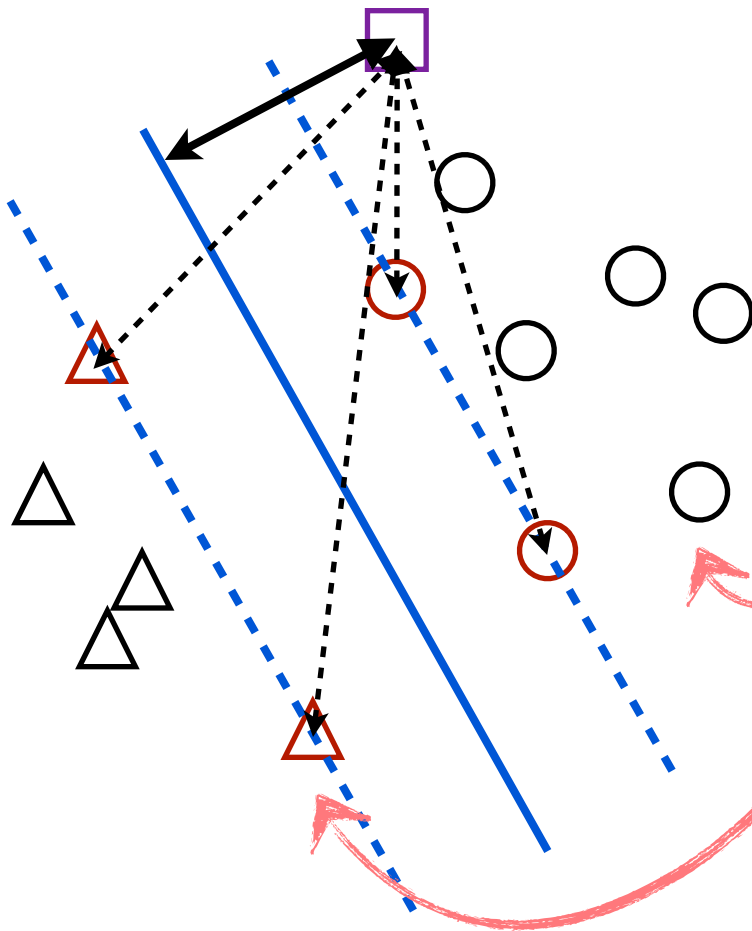
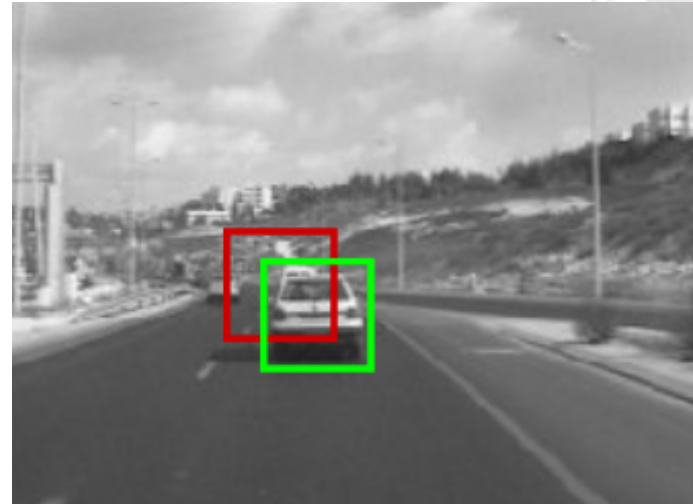
*training images cars/noncars*

find the largest score  
about the initial guess

$$score(I) = \sum_i \alpha_i K(\mathbf{x}_i, I)$$

$$score(I) = \sum_i \alpha_i (K(\mathbf{x}_i, I_{init}) - K(\mathbf{x}_i, I))^2$$

# Support vector tracking



*training images cars/noncars*

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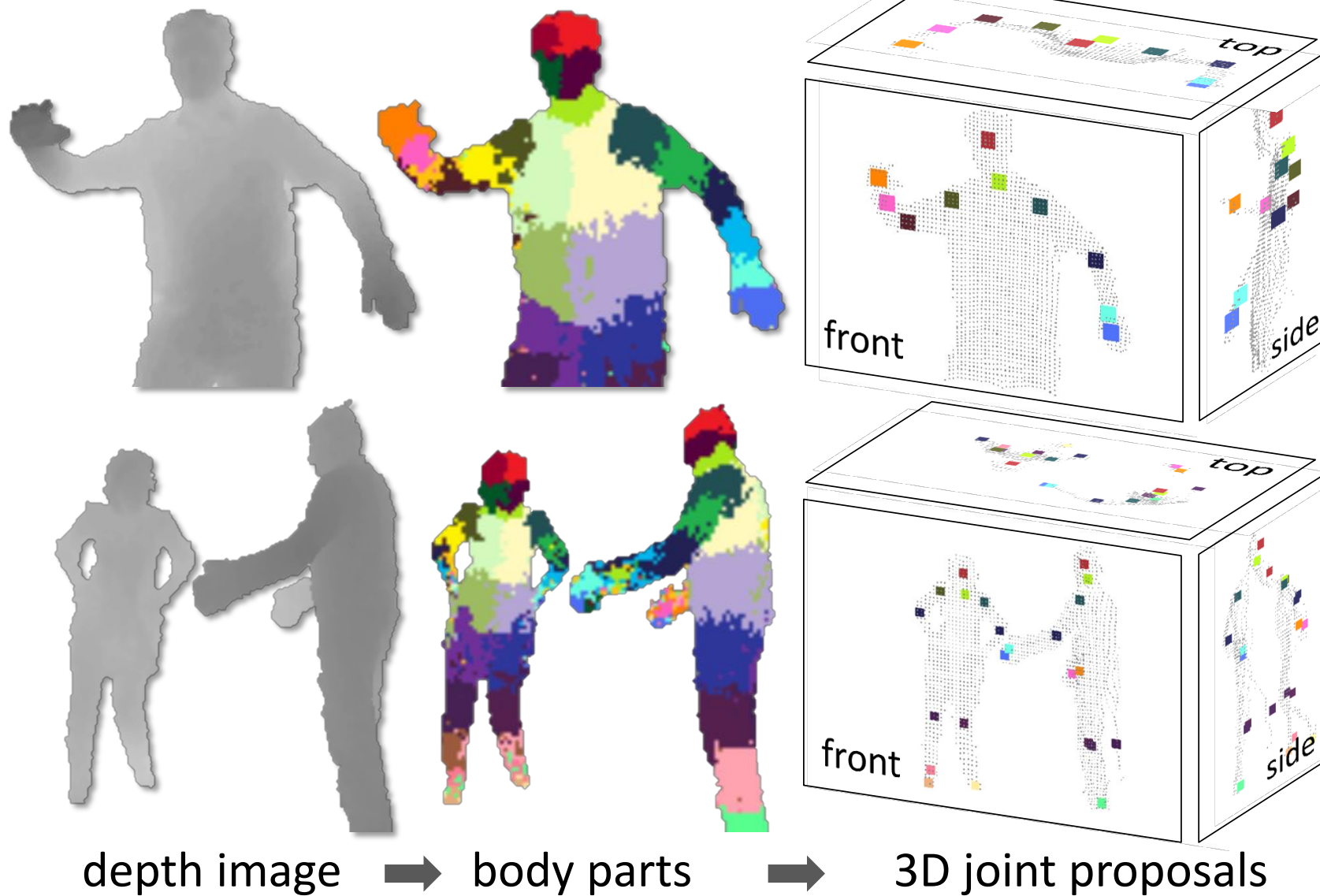
$$score(I) = \sum_i \alpha_i (K(\mathbf{x}_i, I_{init}) - K(\mathbf{x}_i, I))^2$$



# Pose estimation from depth data



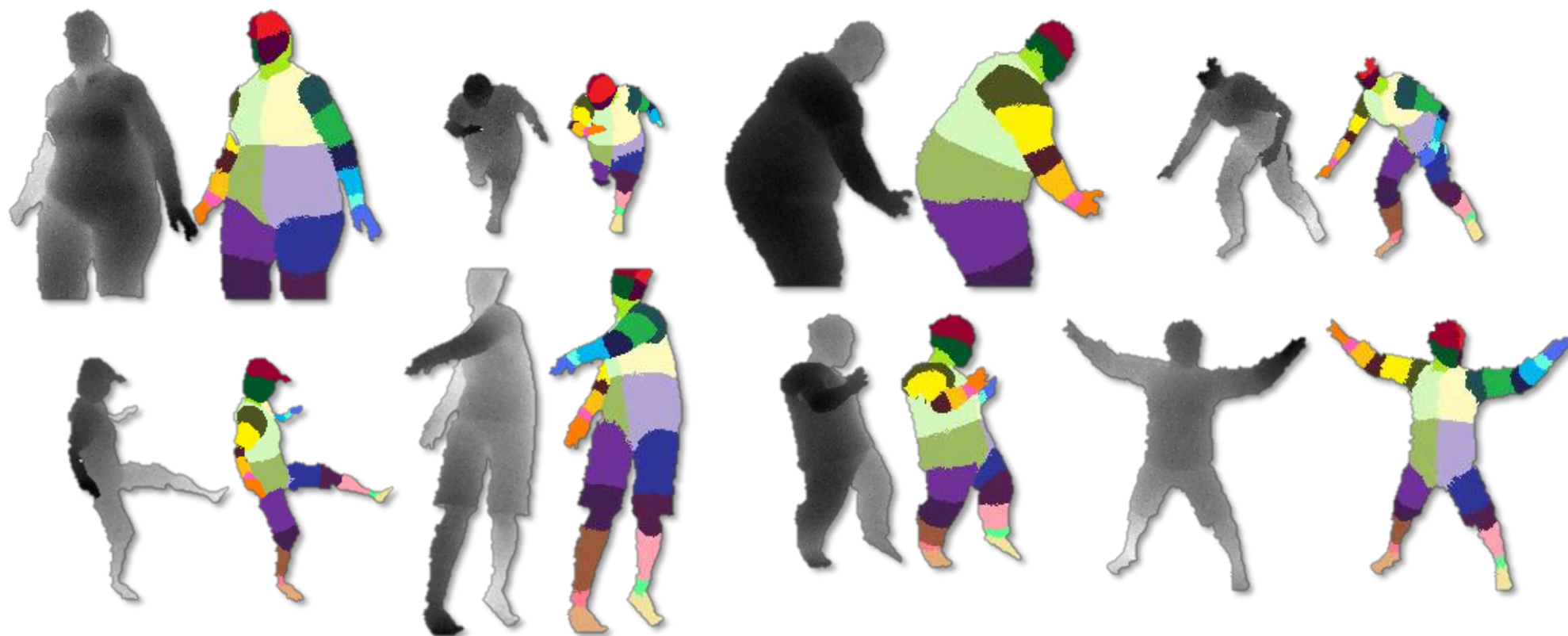
# Pose Recognition in Parts [CVPR'11]



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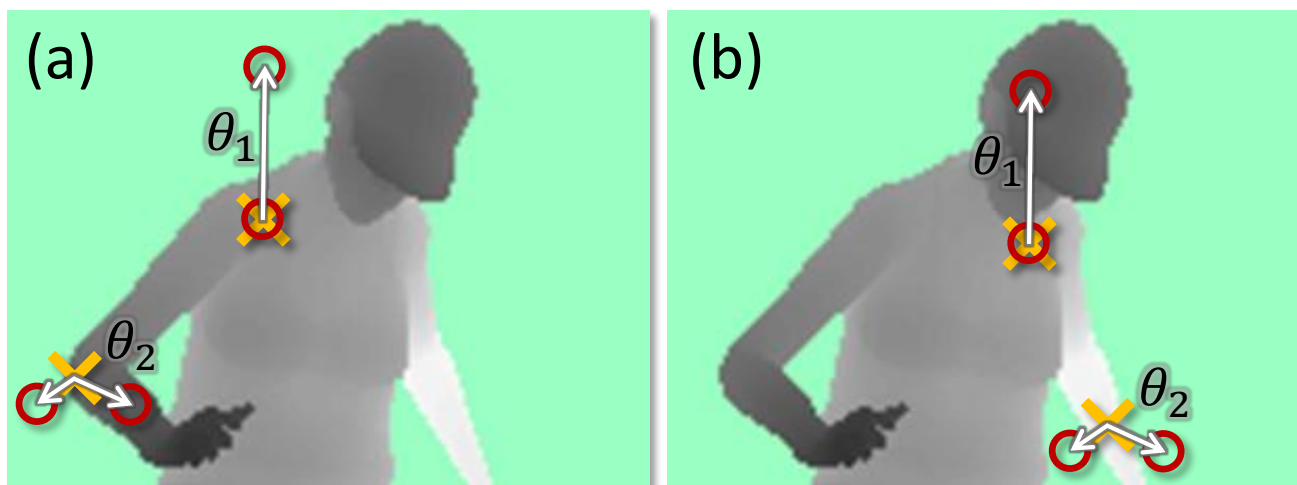
Training data from 3D models



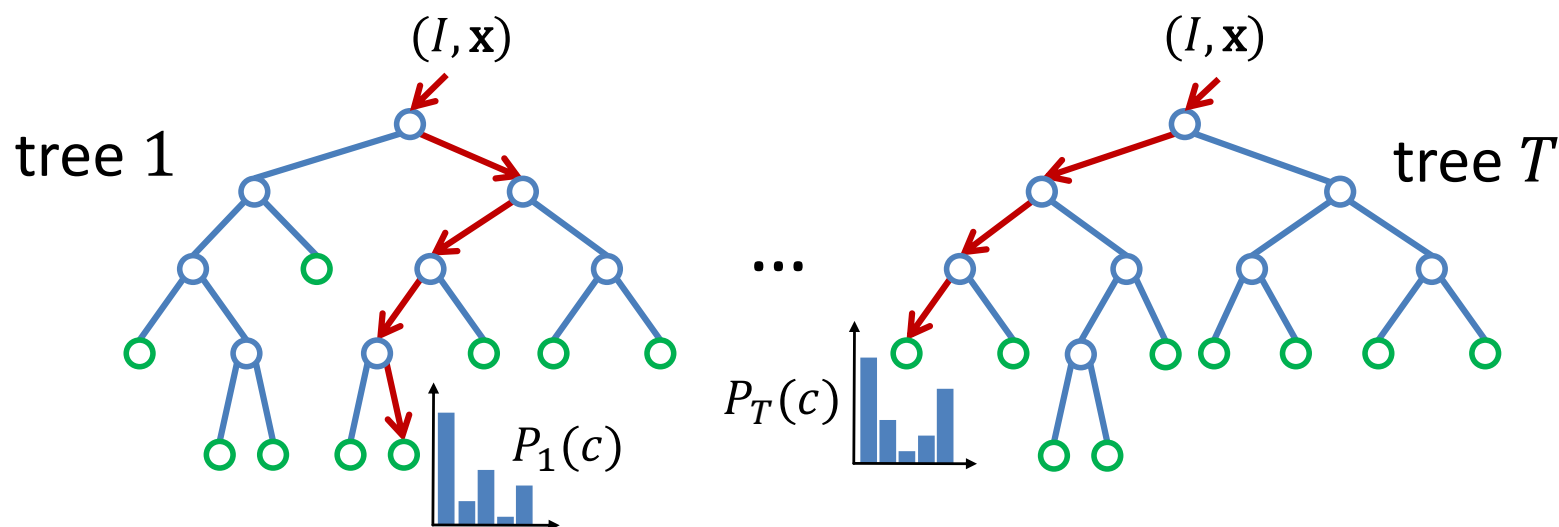
# Pose Recognition in Parts [CVPR'11]



Features: random subtractions



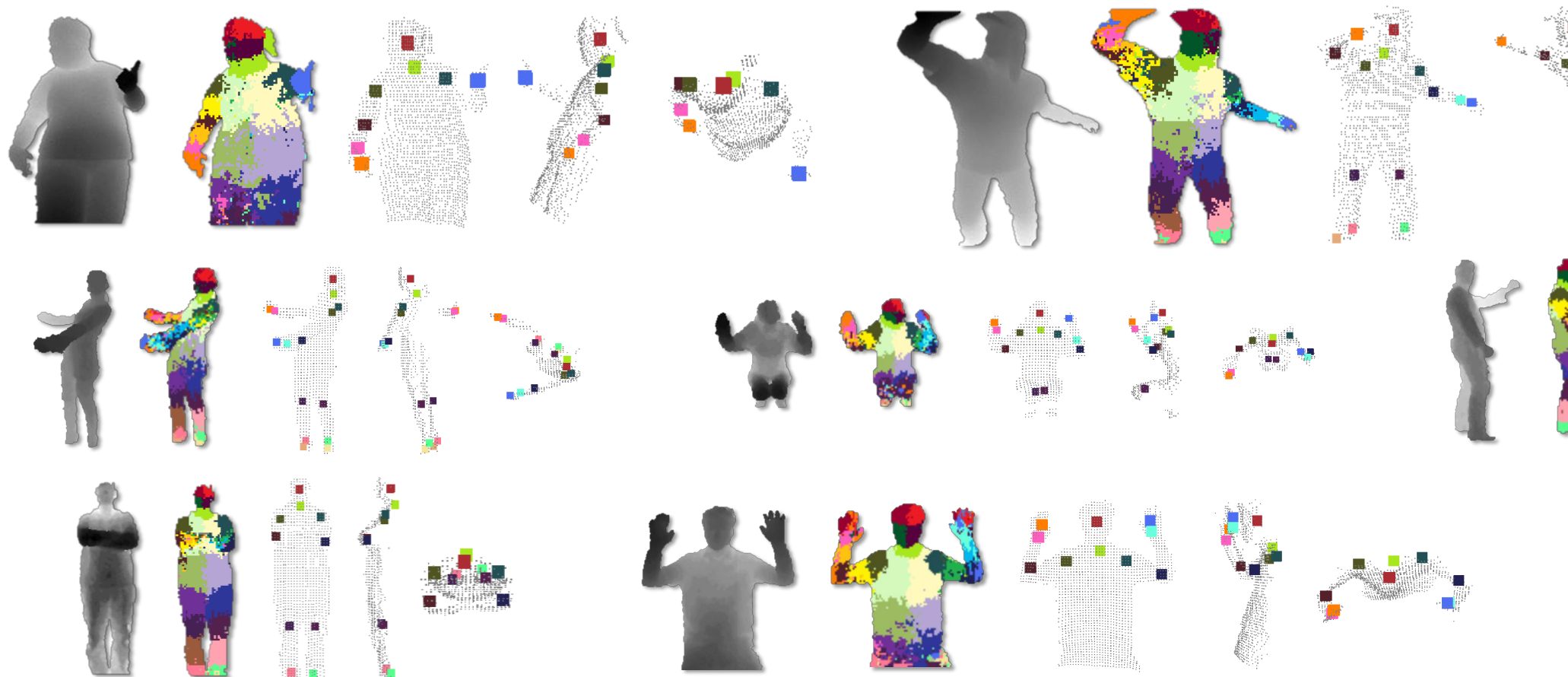
Classifier: random forests of 3 trees



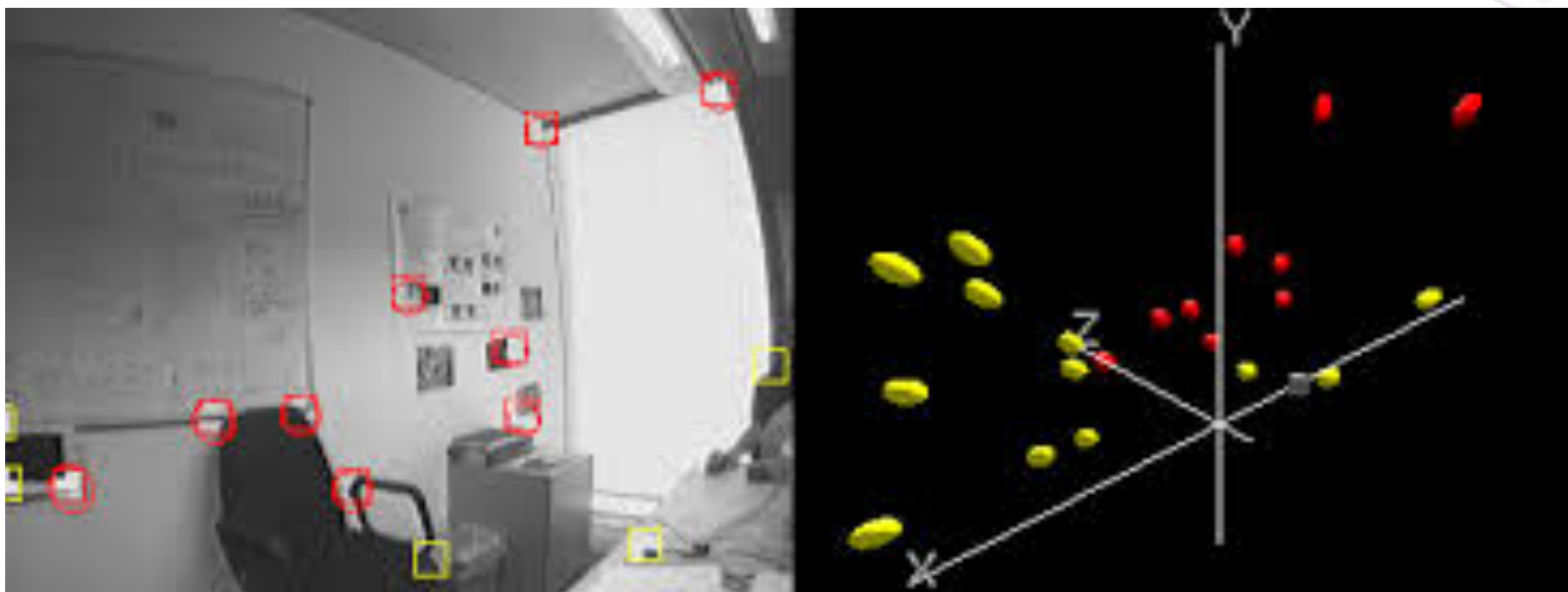
# Pose Recognition in Parts [CVPR'11]



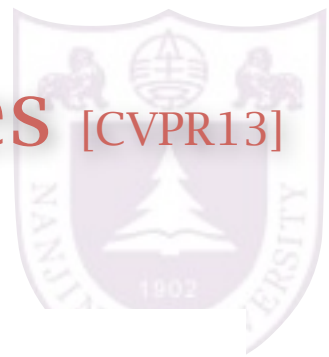
results:



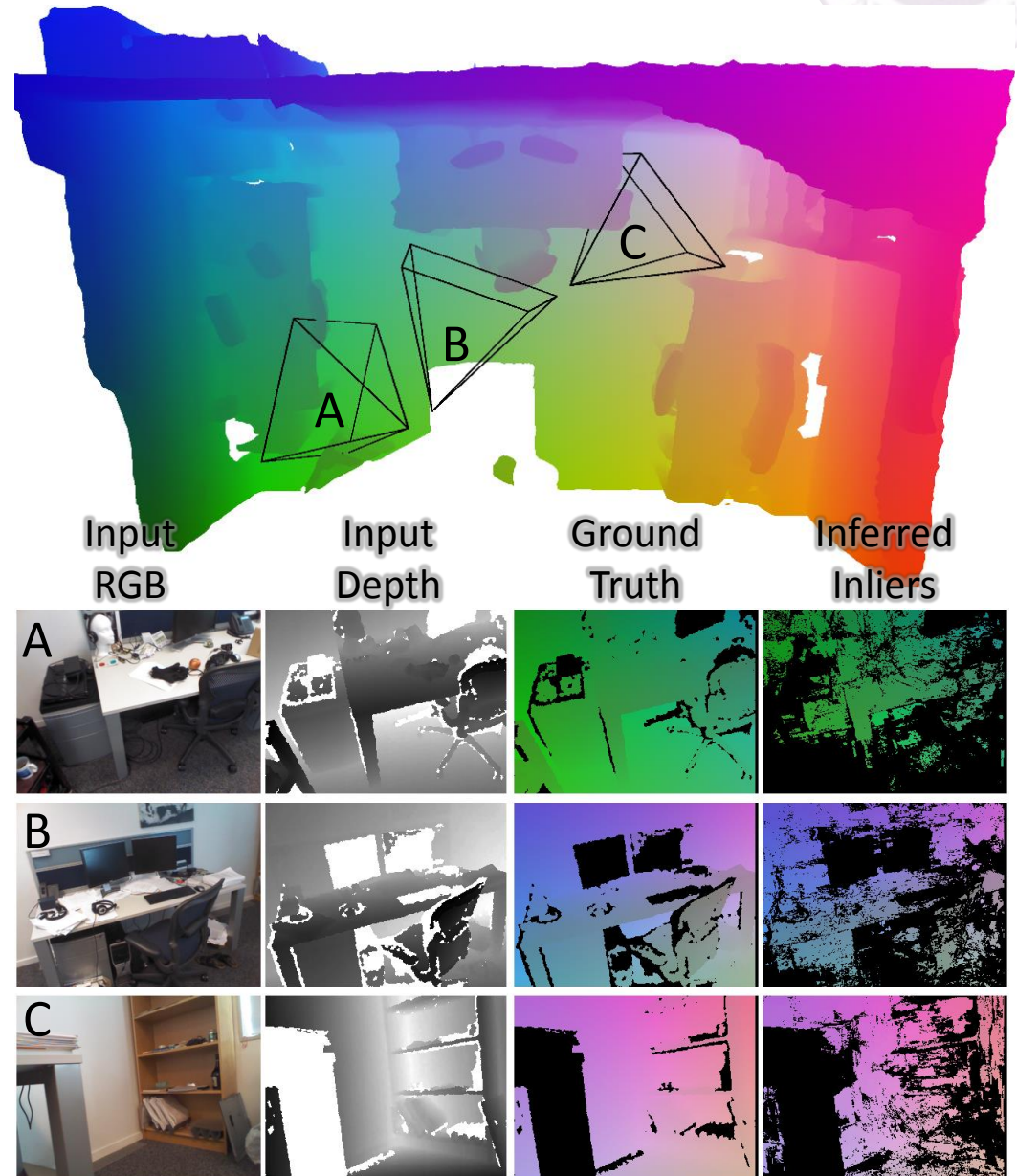
# Camera Relocalization



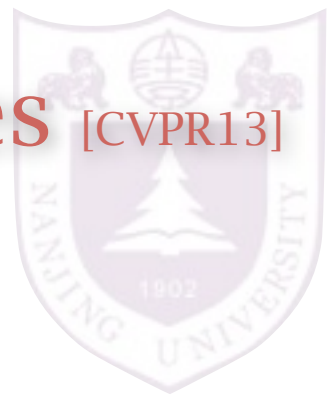
# Camera Relocalization in RGB-D Images [CVPR13]



Prediction the location of every pixel



# Camera Relocalization in RGB-D Images [CVPR13]

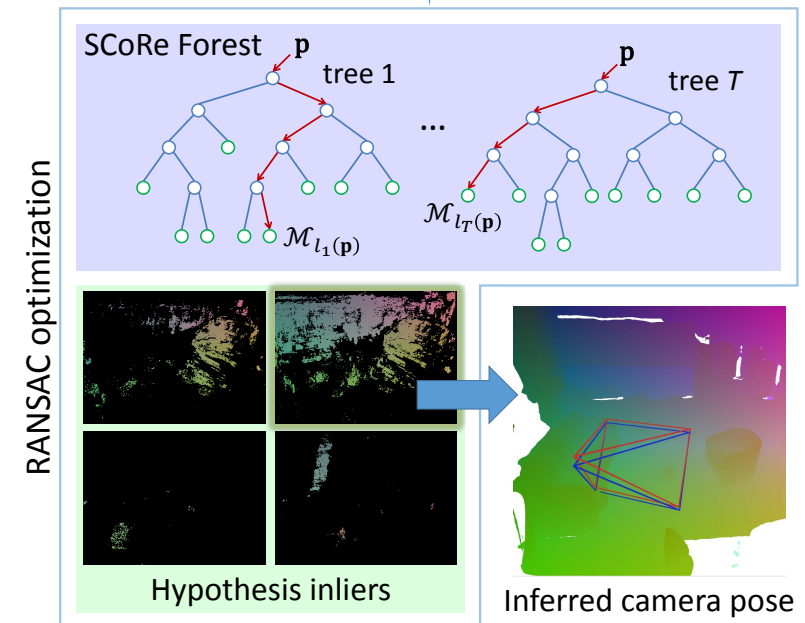


Features: random subtractions

$$f_{\phi}^{\text{depth}}(\mathbf{p}) = D\left(\mathbf{p} + \frac{\delta_1}{D(\mathbf{p})}\right) - D\left(\mathbf{p} + \frac{\delta_2}{D(\mathbf{p})}\right) \quad (2)$$

$$f_{\phi}^{\text{da-rgb}}(\mathbf{p}) = I\left(\mathbf{p} + \frac{\delta_1}{D(\mathbf{p})}, c_1\right) - I\left(\mathbf{p} + \frac{\delta_2}{D(\mathbf{p})}, c_2\right) \quad (3)$$

Classifier: random forests







THE END

THANK YOU